

A R - 7143

MSc-IV Semester, 2013

chemistry

Paper: CMT-401

(Computer Applications in chemistry)

Maximum Marks: 60

(i) Write the rules for variables.

Ans → Rules for variables: —

- ① A variable Name can be at most 6 characters long.
- ② It can consist of both alphabet & digit.
- ③ The first character has to be alphabet.
- ④ In an integer variable, the first character started on I, J, K, L, M, N.
- ⑤ In Real variable first character must be A to Z.

(ii) How many type of expressions are used in FORTRAN

Ans → 3 type of expressions are used :-

- ① Arithmetic Expression → The expression which is used arithmetic operators like +, -, *, /, //, % . It perform the simple calculation.
- ② Relational Expression → It performs the comparison b/w two variables, constants & also two arithmetic expressions.
• LT., • GT., • LE., • GE., • NE., • Eq. these are the relational operators.
- ③ Logical Expression → It performs more than one comparison
It is possible to combine two relational expressions. • AND., • OR., • NOT.
these are the logical expressions.

(iii) write the syntax for Do stmts with example.

Ans. → Syntax of Do stmts :-

Do η i = e₁, e₂, e₃

≡ \leftarrow Body of
 η CONTINUE the loop.

where

η → number of the last stat in loop.

i → loop control variable

e₁ → initial value of control variable.

e₂ → final value of \sim

e₃ → increment value.

Exa. → DO 100 I = 1, 100, 2

PRINT *, I
100 CONTINUE

(iv) what are the logical operators are used in FORTRAN.

Ans. → 3 Logical operators are used :-

① .AND. ② .OR. ③ .NOT.

① .AND. → IF (A .GT. B .AND. C .GT. D)

② .OR. → IF (A .GT. B .OR. C .GT. D)

③ .NOT. → IF (.NOT. A)

(v) what is the character data type & write 5 example.

Ans. → character data type is the data type which is represent the data is character or string.

For exa. → CHARACTER*10 means A is the Variable which stores

a character or maximum 10 characters in a string. Ques :-

- ① CHARACTER * 20 NAME
- ② CHARACTER * 50 COLG-NAME
- ③ CHARACTER * 80 CITY
- ④ CHARACTER * 100 ADDRESS.
- ⑤ CHARACTER * 10 CLASS.

(ii) Perform $A \times B$ where

$$A = \begin{matrix} 6 & 2 \\ 4 & 8 \end{matrix} \quad B = \begin{matrix} 3 & 2 \\ 9 & 4 \end{matrix}$$

$$\underline{\underline{A \times B}} = \begin{bmatrix} 18+18 & 12+8 \\ 12+42 & 8+32 \end{bmatrix} = \begin{bmatrix} 36 & 20 \\ 84 & 40 \end{bmatrix} \underline{\text{Ans.}}$$

(iii) Write the method of Romberg method.
Ans. → Romberg method :-

$$T(n, \frac{h}{2}) = \frac{1}{3} [4I(\frac{n}{2}) - I(n)]$$

we use the trapezoidal rule several times successively having n & apply (4) to each pair of values as per the following scheme :-

$$\begin{array}{ccccccc} I(n/2) & & T(n, h/2) & & & & \\ T(n/4) & I(n/2, h/4) & & T(n, \frac{h}{2}, \frac{h}{4}) & & & \\ I(n/8) & I(\frac{n}{4}, \frac{h}{8}) & T(\frac{n}{2}, \frac{n}{4}, \frac{h}{8}) & & T(\frac{n}{2}, \frac{h}{4}, \frac{h}{8}, \frac{h}{16}) & & \end{array}$$

(VIII) Find a root of equation $x^3 - 4x - 9 = 0$ using Regula Falsi method. (Find only one iteration)

$$\text{Ans.} \rightarrow x^3 - 4x - 9 = 0 = f(x)$$

$$f(0) = 0 - 0 - 9 = -9$$

$$f(1) = 1 - 4 - 9 = -12$$

$$f(2) = 8 - 8 - 9 = -9$$

$$f(3) = 27 - 12 - 9 = 6$$

$$\text{So } x_1 = 2 \text{ & } x_2 = 3, f(x_1) = -9, f(x_2) = 6$$

$$x_0 = x_1 - \frac{f(x_1) \times (x_2 - x_1)}{f(x_2) - f(x_1)}$$

$$x_0 = 2 + 9 \times \frac{3 - 2}{6 + 9} = 2.6$$

Root is $\boxed{x_0 = 2.6}$ Ans.

(IX) Write the method of Factorization method.

$$\text{Ans.} \rightarrow A = \begin{bmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{bmatrix}, X = \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} \text{ & } B = \begin{bmatrix} b_1 \\ b_2 \\ b_3 \end{bmatrix}$$

$$\text{et } A = LU \text{ where } L = \begin{bmatrix} 1 & 0 & 0 \\ L_{21} & 1 & 0 \\ L_{31} & L_{32} & 1 \end{bmatrix} \text{ & } U = \begin{bmatrix} u_{11} & u_{12} & u_{13} \\ 0 & u_{22} & u_{23} \\ 0 & 0 & u_{33} \end{bmatrix}$$

$$\text{So } LUx = B$$

write $UX = V$ then $LV = B$

than Comparison & take the values of v_1, v_2 & v_3
Put into the Original system $UX = V$
than taking 3 eqn & solve it.

By back Substitution, we have take
the values of x, y, z .

(X) Differentiate $x^5 + 6x^3 + 3x^2 + 1$

~~Solve~~ $\Rightarrow x^5 + 6x^3 + 3x^2 + 1$

$\Rightarrow \frac{d}{dx} (x^5 + 6x^3 + 3x^2 + 1)$

$\Rightarrow \frac{d}{dx} x^5 + \frac{d}{dx} 6x^3 + \frac{d}{dx} 3x^2 + \frac{d}{dx} 1$

$\Rightarrow 5x^4 + 18x^2 + 6x + 0$

$\Rightarrow 5x^4 + 18x^2 + 6x = \underline{\text{Ans.}}$

Que. 2 → How many type of operators are used in FORTRAN. Explain.

Ans → 3 type of operators are used in FORTRAN.

- (1) Arithmetic Operators (2) Relational Operators
- (3) Logical Operators.

① Arithmetic Operators → These operators are used to simple calculation.

(i) Addition (+) → For addition two digit, constants, variables.

$$\text{Exa} \rightarrow 4+8, a+b, A+D, X+Y+Z.$$

(ii) Subtraction (-) → For subtraction two digit, constants & variables.

$$\text{Exa} \rightarrow 8-4, A-D, X-Y-Z.$$

(iii) Multiplication (*) → To multiply digits, constants & variables.

$$\text{Exa} \rightarrow 8*4, A*D, X*Y*Z.$$

(iv) Division (/) → To devide digits, constants & variables.

$$\text{Exa} \rightarrow 8/4, A/D, X/Y$$

(v) Exponentialiation (**) → To perform exponent of digit, constant & variables.

$$\text{Exa} \rightarrow 8^{**4}(8^4), A^{**D}(A^D).$$

② Relational Operators → Relational operators are used for comparing the values of two arithmetic expressions. They produce logical values •TRUE• or •FALSE• as result.

6 relational operators are there →

(i) • LT. → Less than (<)

Exa → IF ($x \cdot LT. y$)
THEN

 stmt —
ELSE

 stmt —
END IF

(ii) • LE. → Less than or equal to (\leq)

Exa → IF ($x \cdot LE. y$)
THEN

 stmt —
ELSE

 stmt —

END IF

(iii) • EQ. → Equal to (=)

Exa → IF ($x \cdot EQ. y$)
THEN

 stmts —

ELSE

 stmts —

END IF

(iv) • NE. → Not equal to (\neq)

Exa → IF ($x \cdot NE. y$)
THEN

 stmts —

ELSE

 stmts —

END IF

(v) • GT. → Greater than (>)

Exa → IF ($x \cdot GT. y$)
THEN

 stmts —

ELSE

 stmts —

END IF

(vi) • GE. → Greater than or equal to (\geq)

Exa → IF (C - D • GE. A - B)
THEN

 stmts —

ELSE

 stmts —

ENDIF

③ Logical Operators → we may need to make
more than one comparison.

It is possible to combine two relational exp.
using the following logical operators :-

(i) • AND. → Both relations are true

Exa → IF (SUM • GT. 100 • AND. N • GT. 20)

THEN ≡

ELSE ≡

ENDIF

(ii) • OR. → one or both of the relations are

Exa → IF (AGE • LT. 30 • AND. DEGREE • EQ. 'ME')
THEN ≡

ELSE ≡

ENDIF

(iii) • NOT. → Opposite is true

Exa → IF (• NOT. A • EQ. B)

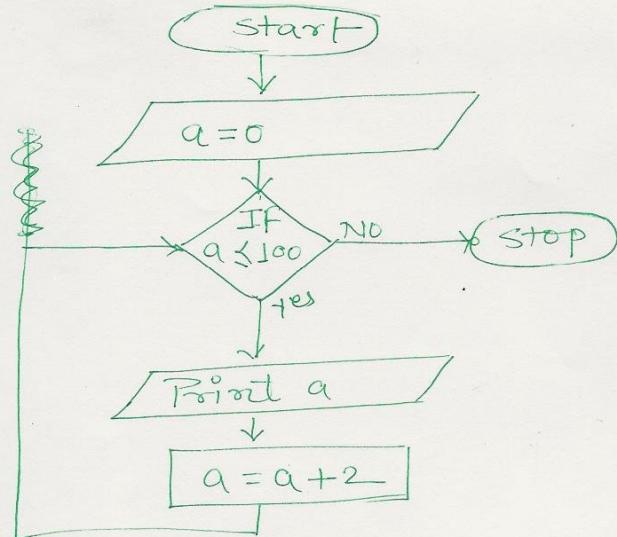
THEN ≡

ELSE ≡

ENDIF

Que. 3 → Draw flow chart to print first 50 even numbers & their program.

Ans. → flow chart :-



Program :-

```
FIRST_50_EVEN_NO
INTEGER A = 0
PRINT *, 'FIRST 50 EVEN NO's'
DO 100 I = 1, 98, 2
    PRINT *, I
100 CONTINUE
END
```

Ques. 4 → Perform $(A \times B) + (C \times D) - E$ where

$$A = \begin{bmatrix} 4 & 2 & 0 \\ 9 & 1 & 3 \\ 2 & 5 & 7 \end{bmatrix}$$

$$B = \begin{bmatrix} 8 & 9 & 0 \\ 7 & 5 & 1 \\ 2 & 3 & 4 \end{bmatrix}$$

$$C = \begin{bmatrix} 1 & 5 & 7 \\ 5 & 6 & 0 \\ 3 & 8 & 4 \end{bmatrix}$$

$$D = \begin{bmatrix} 4 & 0 & 6 \\ 5 & 8 & 9 \\ 2 & 3 & 7 \end{bmatrix}$$

$$E = \begin{bmatrix} 5 & 3 & 0 \\ 1 & 8 & 4 \\ 2 & 6 & 4 \end{bmatrix}$$

Solve

$$\rightarrow \begin{bmatrix} 4 & 2 & 0 \\ 9 & 1 & 3 \\ 2 & 5 & 7 \end{bmatrix} \times \begin{bmatrix} 8 & 9 & 0 \\ 7 & 5 & 1 \\ 2 & 3 & 4 \end{bmatrix} + \begin{bmatrix} 1 & 5 & 7 \\ 5 & 6 & 0 \\ 3 & 8 & 4 \end{bmatrix} \times \begin{bmatrix} 4 & 0 & 6 \\ 5 & 8 & 9 \\ 2 & 3 & 7 \end{bmatrix} - \begin{bmatrix} 5 & 3 & 0 \\ 1 & 8 & 4 \\ 2 & 6 & 4 \end{bmatrix}$$

$$\rightarrow \begin{bmatrix} 46 & 46 & 2 \\ 85 & 95 & 13 \\ 65 & 64 & 33 \end{bmatrix} + \begin{bmatrix} 43 & 61 & 100 \\ 50 & 48 & 84 \\ 60 & 76 & 118 \end{bmatrix} - \begin{bmatrix} 5 & 3 & 0 \\ 1 & 8 & 4 \\ 2 & 6 & 4 \end{bmatrix}$$

$$\rightarrow \begin{bmatrix} 89 & 107 & 102 \\ 135 & 143 & 97 \\ 125 & 140 & 151 \end{bmatrix} - \begin{bmatrix} 5 & 3 & 0 \\ 1 & 8 & 4 \\ 2 & 6 & 4 \end{bmatrix}$$

$$\rightarrow \begin{bmatrix} 84 & 104 & 102 \\ 134 & 135 & 93 \\ 123 & 134 & 147 \end{bmatrix}$$

Aus

Ques. 5 → Find a root equation $x^2 - x - 2 = 0$ using False position method.

Soln:

Given equation :-

$$x^2 - x - 2 = 0$$

$$F(0) = 0 - 0 - 2 = -2$$

$$F(1) = 1 - 1 - 2 = -2$$

$$F(2) = 4 - 2 - 2 = 0$$

$$F(3) = 9 - 3 - 2 = 4$$

So $f(x_1) = F(1) = -2$

Iteration $P(x_2) = P(3) = 4$

$$x_0 = x_1 - \frac{f(x_1) \times (x_2 - x_1)}{F(x_2) - F(x_1)}$$

$$x_0 = 1 + 2 \times \frac{3 - 1}{4 + 2} = 1.6667$$

$$F(x_0) = -0.8889$$

x_0 & x_2 tve

So root lies b/w x_0 & x_2 [2nd iteration]

$$x_0 = 1.6667 + 0.8889 \times \frac{3 - 1.6667}{4 + 0.8889} = 1.909$$

$$F(x_0) = 0.2345$$

Root lies b/w $x_0 = 1.909$ & $x_2 = 3$ [3rd iteration]

$$x_0 = 1.909 + 0.2647 \times \frac{3 - 1.909}{4 - 0.2647}$$
$$= 1.986$$

The estimated root after third iteration is 1.986
means that root is approximately 2,

$x=2$ Ans.

Ques. 6 → Solve the system

$$3x + y + 2z = 3, 2x - 3y - z = -3, x + 2y + z = 4$$

using Matrix inversion method.

Solve Given that

$$A = \begin{bmatrix} 3 & 1 & 2 \\ 2 & -3 & -1 \\ 1 & 2 & 1 \end{bmatrix}, X = \begin{bmatrix} x \\ y \\ z \end{bmatrix}, D = \begin{bmatrix} 3 \\ -3 \\ 4 \end{bmatrix}$$

By matrix inversion method :-

$$X = A^{-1}D$$

$$\text{then } A^{-1} = \frac{\text{Adj } A}{|A|}$$

$$\text{Adj } A = \begin{bmatrix} -1 & 3 & 5 \\ -3 & 1 & 7 \\ 7 & -5 & -11 \end{bmatrix}, |A| = 8$$

$$\therefore \begin{bmatrix} x \\ y \\ z \end{bmatrix} = \frac{1}{8} \begin{bmatrix} -1 & 3 & 5 \\ -3 & 1 & 7 \\ 7 & -5 & -11 \end{bmatrix} \times \begin{bmatrix} 3 \\ -3 \\ 4 \end{bmatrix}$$

$$\therefore \begin{bmatrix} x \\ y \\ z \end{bmatrix} = \begin{bmatrix} 1 \\ 2 \\ -1 \end{bmatrix}$$

Hence

$$x = 1$$

$$y = 2$$

$$z = -1 \quad \underline{\text{Ans}}$$

Que. 7 → Apply Euler-Maclaurin formula to evaluate:

$$\frac{1}{51^2} * \frac{1}{53^2} * \frac{1}{55^2} + \frac{1}{57^2} + \dots + \frac{1}{99^2}$$

Solve Taking $y = \frac{1}{x^2}$, $x_0 = 51$, $n=2$, $\eta = 24$

we have $y' = -\frac{2}{x^3}$, $y''' = -\frac{24}{x^5}$

Then Euler-Maclaurin formula gives

$$\begin{aligned} \int_{51}^{99} \frac{dx}{x^2} &= \frac{2}{2} \left[\frac{1}{51^2} + \frac{2}{53^2} + \frac{2}{55^2} + \dots + \frac{2}{97^2} + \frac{1}{99^2} \right] \\ &\quad - \frac{(2)^2}{12} \left[\frac{-2}{99^3} - \frac{2}{51^3} \right] + \frac{(2)^4}{720} \left[\frac{-24}{99^5} - \frac{24}{51^5} \right] \\ &= \left[0.000384 + 0.0007119 + 0.0006611 + 0.000615 \right. \\ &\quad + 0.000574 + 0.000537 + 0.000503 + 0.000478 \\ &\quad + 0.000445 + 0.000420 + 0.000396 + 0.000375 \\ &\quad + 0.000355 + 0.000337 + 0.00032 + 0.000309 \\ &\quad + 0.00029 + 0.000276 + 0.000264 + 0.000252 \\ &\quad + 0.000241 + 0.000231 + 0.000221 + 0.000212 \\ &\quad \left. + 0.000204 \right] - 0.33 \left[-0.000002 + 0.00001 \right] \\ &= \left[0.009565 - 0.00000264 \right] + 0.022 \\ &= 0.00315 \text{ (Approx)} \end{aligned}$$

Ans